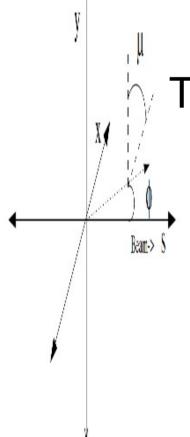


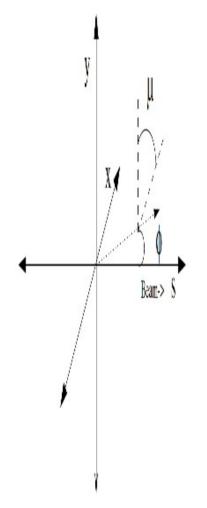
$$\frac{d\vec{S}}{dt} = \frac{e}{\gamma m} \vec{S} \times \left((1 + G\gamma) \vec{B}_{\perp} + (1 + G) \vec{B}_{\parallel} + (G\gamma + \frac{\gamma}{\gamma + 1}) \frac{\vec{E} \times \vec{\beta}}{c} \right) =$$

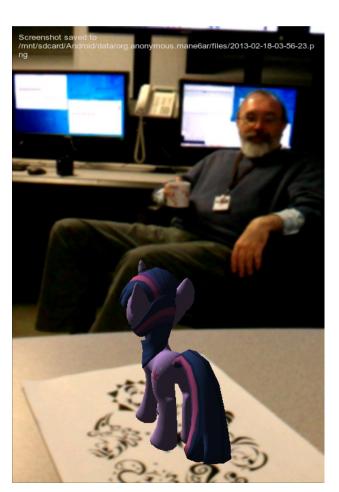


Time Meeting RHIC FY13 PP RUN



$$\frac{d\vec{S}}{dt} = \frac{e}{\gamma m} \vec{S} \times \left((1 + G\gamma) \vec{B}_{\perp} + (1 + G) \vec{B}_{\parallel} + (G\gamma + \frac{\gamma}{\gamma + 1}) \frac{\vec{E} \times \vec{\beta}}{c} \right) =$$



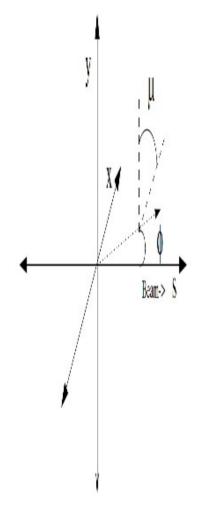




Flutter-Shy and Twilight Sparkle have paid Us a visit!

Polarization Is Magic.

$$\frac{d\vec{S}}{dt} = \frac{e}{\gamma m} \vec{S} \times \left((1 + G\gamma) \vec{B}_{\perp} + (1 + G) \vec{B}_{\parallel} + (G\gamma + \frac{\gamma}{\gamma + 1}) \frac{\vec{E} \times \vec{\beta}}{c} \right) =$$









$$\frac{d\vec{S}}{dt} = \frac{e}{\gamma m} \vec{S} \times \left((1 + G\gamma) \vec{B}_{\perp} + (1 + G) \vec{B}_{\parallel} + (G\gamma + \frac{\gamma}{\gamma + 1}) \frac{\vec{E} \times \vec{\beta}}{c} \right) =$$
• RHIC Start Up Status:

Beam-> S

- Bunched Beam circulating in both blue and Yellow with snakes using FY12 pp lattice.
- Instrumentation checking out systems
 - Feedback orbit and tune
- Power Supply work continues:
 - After phase shifter work is done can we can switch to new e-lens lattice ~ Thursday?
- So Far we are pretty much on Schedule not too many glitches
 - Bad quad in ATR and bad BPMs used for injection made Blue injection problematic